# Missing beauty of proton-proton interactions



#### In this talk

QGP signature is small systems

Overview of LHC results

#### Global analysis of meson production in pp

Bringing things together

#### Conclusions and questions

## QGP signatures in small systems



Accounting for geometry and using hydro model with the same *η*/s allows for simultaneous description of the flow in three different systems



#### QGP signatures in small systems



Strangeness enhancement happens in the range pf multiplicities of small systems

## What about hard probes?

If we are to look for the most sensitive QGP hard probe the obvious suspect would be the  $Y(nS)$  family...





CMS: "It was concluded that the feed-down contributions cannot solely account for this feature. This is also seen in the present analysis, where the  $Y(1S)$  meson is accompanied by about one more track on average ( $\langle N_{\text{track}}\rangle =$  33.9 ± 0.1) than the Y(2S) ( $\langle N_{\text{track}}\rangle =$  33.0 ± 0.1), and about two more than the  $\Upsilon(3S)$  ( $\langle N_{\text{track}}\rangle$  = 32.0 ± 0.1). [...] On the other hand, it is also true that, if we expect a suppression of the excited states at high multiplicity, it would also appear as a shift in the mean number of particles for that state (because events at higher multiplicities would be missing)."

# ALICE result with a rapidity gap



ALICE result on forward  $Y(2S)/Y(1S)$  vs. tracks at midrapidity shows rather different behavior when quarkonia and multiplicity measured at different rapidities

#### Statistics is too low to warrant any gap dependence

# Multiplicity dependence on Υ–momentum



Multiplicity is different for different  $Y(nS)$  states

Can't be explained by feed downs or  $p_T$ , conservation

Pythia has no effect like this

At the lowest  $p_T$ , where the effect is the strongest:

$$
\Upsilon(1S) - \Upsilon(2S) \Delta\langle n_{\text{ch}}\rangle = 3.6 \pm 0.4 \qquad 12\% \text{ of } \langle n_{\text{ch}}^{\Upsilon(1S)}\rangle
$$

$$
\Upsilon(1S) - \Upsilon(3S) \Delta\langle n_{\text{ch}}\rangle = 4.9 \pm 1.1 \qquad 17\% \text{ of } \langle n_{\text{ch}}^{\Upsilon(1S)}\rangle
$$

It diminishes with  $p_T$ , but remains visible at 20–30 GeV And actually above that as well

# Where the differences are coming from?





# Kinematic distributions of  $Y(1S)$



One cannot measure the UE, but  $p_T$  < 4 GeV is the closest to it, jet part that is correlated to  $Y(nS)$ 

### Kinematic distributions of the differences



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Subtracted distributions look like UE at rather high  $Y(nS)$   $p_T$ . At the highest  $p_T$  there are feed-downs

Away from jets there are regions with charged particles

The effect is related to the UE

# Is it a deficit for  $Y(nS)$  or an excess for  $Y(1S)$ ?



How large is the UE in the presence of  $Y(nS)$ ?

Inclusive *pp* collisions:  $\langle n_{ch} \rangle \approx 14$ Drell-Yan with 40 GeV  $< m < m_Z$   $\langle n_{ch} \rangle = 24 - 28$ Jets with leading particles  $m < \frac{1}{2}$  $\frac{1}{2}m_Y \langle n_{ch} \rangle \approx 27$ 

On the other hand, a  $p_T$  – dependence of the  $\Delta(n_{ch})$  points to the modification of  $p_T$  spectrum. What shall be the  $p_T$ spectrum of  $Y(nS)$ ?

Basic assumption:

If particles have the same quark content and the same mass, they must have the same kinematics.

For small  $\Delta m$  between particles one can use  $m<sub>T</sub>$  – scaling













#### Quarkonia ratios: expected & measured



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# Bringing pieces together

Independent analyses



by CMS and ATLAS Link the  $Y(nS)$ production to the UE -- ATLAS by kinematics -- CMS by sphericity Deficit of the excited  $Y(nS)$  with similar - Data) / Data (Expectation - Data) / Data  $p_T$  dependence -- specie ordering(Expectation



#### Final state interaction in  $pp$



#### Cross-section calculations



### What about charmonia?

It would be logical to assume that the effect is related to the  $q\bar{q}$  binging energy, but then  $\psi(2S)$  must show a lot more suppression.

 $n_{ch}$  for  $\psi(2S)$  shall be measured

EPJC (2018) 78:731 **Table 1** Binding energies of the quarkonia shown in Fig. 3

Quarkonium	$E_{\rm b}$ (MeV)	Quarkonium	$E_{\rm b}$ (MeV)
$\chi_{b2}(3P)$	36	$\chi_{c0}$	315
$\psi(2S)$	44	$\chi_{b0}(3P)$	326
$\chi_{b1}(3P)$	47	$\Upsilon(2S)$	536
$\chi_{b0}(3P)$	62	$J/\psi$	633
$\chi_{c2}$	174	$\chi_{b2}(1P)$	647
$\Upsilon(3S)$	204	$\chi_{b1}(1P)$	666
$\chi_{c1}$	219	$\chi_{b0}(1P)$	700
$\chi_{b2}(2P)$	290	$\Upsilon(1S)$	1099
$\chi_{b1}(3P)$	304		



#### How it can look like in larger systems



Core + corona:  $Y(1S)$  resembles other particles, or we can't say betterPbPb $/1.61$  nb<sup>-1</sup>, pp 300 pb<sup>-1</sup> (5.02 TeV)  $1.2$ **CMS**  $\leq$  30 GeV/c  $\boldsymbol{D}$  $|y| < 2.4$  $\sqrt{ }$  Y(1S) (2015 PbPb/pp)  $0.8$  $\blacksquare$  Y(2S)  $R_{0.6}^4$  $\blacktriangleright$  Y(3S)  $0.4$  $\bullet$  $0.2$  $\overline{50}$  $100$  $\overline{200}$  $\overline{250}$ 150 300 350 400  $\langle N_{\rm part} \rangle$ Pure corona: medium is nearly opaque to  $Y(2S)$  and  $Y(3S)$ ) even in pp

from Yuuka Kanakubo's talk on Monday

# QGP signatures in small systems





#### All strange-to-non-strange particle ratios go up

And K\*/K ratio goes down…

#### It might be that the effect is wider than just quarkonia

## Comover interaction model

Within CIM, quarkonia are broken by collisions with comovers – i.e. final state particles with similar rapidities.

CIM is typically used to explain  $p+A$  and  $A+A$ systems, although recently it was successfully applied to *pp*.





EPJC 81, 669 (2021)

It looks like the effect isn't limited to only  $Y(nS)$ , at least  $\chi_c$  can be affected as well, and possibly  $\Psi(2S)$ 

#### In summary

Excited  $Y(nS)$  states are destroyed in pp collisions by interactions with the UE

Only ~60% of  $Y(2S)$  and only ~40% of  $Y(3S)$  get out of the pp collisions at the LHC energies, based on what should be there from measured  $Y(1S)$ 

Other particles can be affected as well. Some indirect hints exist for  $Y(1S)$ ,  $\Psi(2S)$ , and even K\*

At the moment we do not know much about the observed phenomenon, but many signatures can be measured and not only at the LHC

Comover model explains one curve. More theoretical guidance is badly needed!



#### Common fit



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#### Kinematic distributions



- Distributions for  $Y(1S)$
- Pythia does not describe well
- One cannot measure the UE, but  $p_T < 4$  GeV is the closest to it, jet part that is correlated to  $Y(nS)$

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- Away from jets there are regions with charged particles



Define 3+2 regions



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	- Bkg shapes are similar interpolate

$$
\begin{pmatrix}\nP(m_0^{\mu\mu}) \\
P(m_1^{\mu\mu}) \\
P(m_2^{\mu\mu}) \\
P(m_3^{\mu\mu}) \\
P(m_4^{\mu\mu})\n\end{pmatrix} = \begin{pmatrix}\n1 - f_{01} & f_{01} & 0 & 0 & 0 & 0 \\
k_1 (1 - s_1) & s_1 & 0 & 0 & (1 - k_1) (1 - s_1) \\
k_2 (1 - s_2 - f_{21} - f_{23}) & f_{21} & s_2 & f_{23} & (1 - k_2) (1 - s_2 - f_{21} - f_{23}) \\
k_3 (1 - s_3 - f_{32}) & 0 & f_{32} & s_3 & (1 - k_3) (1 - s_3 - f_{32}) \\
0 & 0 & 0 & 0 & 1\n\end{pmatrix}\n\begin{pmatrix}\nP_0 \\
P(\Upsilon(1S)) \\
P(\Upsilon(2S)) \\
P(\Upsilon(3S)) \\
P(\Upsilon(3S)) \\
P_4\n\end{pmatrix}
$$



- Define 3+2 regions
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	- **Bkg subtraction for**  $Y(1S)$  and  $Y(3S)$

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k_3(1 - s_3 - f_{32}) & 0 & f_{32} & s_3 & (1 - k_3)(1 - s_3 - f_{32}) \\
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- Define 3+2 regions
- Bkg shapes are similar interpolate
	- **Bkg subtraction for**  $Y(1S)$  and  $Y(3S)$
- After subtraction  $n_{ch}$  look different

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Triggers are all combined together Pileup is constructed from mixed events and is either directly subtracted or unfolded Non-linear effects are also accounted for



- Define 3+2 regions
- Bkg shapes are similar interpolate
	- Bkg subtraction for  $Y(1S)$  and  $Y(3S)$
	- After subtraction  $n_{ch}$  look different
	- Remove pileup, same shape for all  $Y(nS)$

# The pileup story





Start with the triggered event, called Direct

In the same run search for events with at the same *μ*

Build Mixed event from tracks with vertex pointing  $|\omega|$  < 0.75 mm to the Direct event

If the other vertex is within 15mm of the Direct, discard it

Do 20 times to get statistics

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# Analysis in brief

Entire ATLAS Run-2 data:  $2015 - 2018$ ,  $\sqrt{s} = 13$  TeV, 139 fb<sup>-1</sup>

Full luminosity data constrained at  $\mu$  < 50 (fake production) and then at  $\nu$  < 20 in 40 intervals

 $Y(nS)$  are reconstructed as di-muons

6 different di-muon triggers with muon  $p_T$  from 4 to 11 GeV

 $Y(nS)$  kinematics  $|y| < 1.6$ ,  $0 < p_T < 70$  GeV where we ran out of statistics

All together after cuts:  $\sim 5 \times 10^7 \Upsilon(1S)$ ,  $\sim 10^7 \Upsilon(2S)$ ,  $\sim 7 \times 10^6 \Upsilon(3S)$ 

Charged hadrons kinematics  $|\eta|$  < 2.5, 0.5 <  $p_T$  < 10 GeV, fully corrected

Dimuon invariant mass distributions are fitted to functions with 24 parameters

#### Back to heavy ions



Similarity in the suppression of  $Y(1S)$  and other species and the difference to higher  $Y(nS)$ can be an indication of the regime change

Most particles, including  $Y(1S)$   $L \ge \sqrt[3]{N_{part}} \times r_p$  volume emission  $Y(2S), Y(3S)$   $L \ll \sqrt[3]{N_{part}} \times r_p$  surface emission

#### Theory calculation



[61] N. A. Abdulov and A. V. Lipatov, Bottomonium production and polarization in the NRQCD with kT - factorization. III: Υ(1S) and χb(1P) mesons, Eur. Phys. J. C 81, 1085 (2021), arXiv:2011.13401.

[62] N. A. Abdulov and A. V. Lipatov, Bottomonia production and polarization in the NRQCD with kT - factorization. II: Υ(2S) and χb(2P) mesons, Eur. Phys. J. C 80, 486 (2020), arXiv:2003.06201.

[63] N. A. Abdulov and A. V. Lipatov, Bottomonia production and polarization in the NRQCD with kT - factorization. I: Υ(3S) and χb(3P) mesons, Eur. Phys. J. C 79, 830 (2019), arXiv:1909.05141.

#### Global analysis

Basic principle:

Particles with the same quark content and same masses shall have the same kinematics

The extent of deviation due to a 10% difference in masses can be tested with the  $m<sub>T</sub>$  – scaling







Two-particle correlations in *pp* are independent of  $n_{ch}$ 

Do they depend on  $b_{\text{imp}}$ ?

We checked it with events tagged by Z boson.